# Comodels as a gateway for interacting with the external world

Danel Ahman

(joint work with Andrej Bauer)

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Shonan, 28 March 2019



Computational effects in FP

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• Using monads (as in HASKELL)

```
type St a = String \rightarrow (a, String)

f :: St a \rightarrow St (a,a)

f c = c >>= (\x \rightarrow c >>= (\y \rightarrow return (x,y)))
```

• Using alg. effects and handlers (as in Eff, Frank, Koka)

```
effect Get : int effect Put : int \rightarrow unit (*: int \rightarrow a*int!\{\} *) let g (c:unit \rightarrow a!{Get,Put}) = with st_h handle (perform (Put 42); c ())
```

## Computational effects in FP

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```

Both are good for faking comp. effects in a pure language!
 But what about effects that need access to the external world?

• Declare a signature of monads or algebraic effects, e.g.,

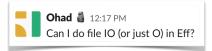
```
(* System.IO *)

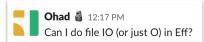
type IO a
openFile :: FilePath → IOMode → IO Handle

(* pervasives.eff *)

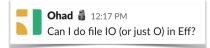
effect RandomInt : int → int
effect RandomFloat : float → float
```

And then treat them specially in the compiler, e.g.,









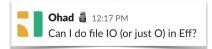


Ohad 38:35 PM
So here's the hack I added We should do something a bit more principled
In pervasives.eff:

in eval.ml, under let rec top\_handle op = add the case:

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Ohad 🎒 8:35 PM



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In pervasives.eff:
 effect Write : (string*string) -> unit
in eval.ml, under let rec top_handle op = add the case:
     | "Write" ->
        (match v with
         | V.Tuple vs ->
            let (file_name :: str :: _) = List.map V.to_str vs in
            let file_handle = open_out_gen
                                 FOpen_wronly
                                 ;Open_append
                                 ;Open_creat
                                 :Open_text
                                 7 0o666 file name in
            Printf.fprintf file_handle "%s" str;
            close_out file_handle;
            top_handle (k V.unit_value)
```

This talk — a principled (co)algebraic approach!

• let f (s:string) =
 let fh = fopen "foo.txt" in
 fwrite fh (s^s);
 fclose fh;
 return fh

let g s =
 let fh = f s in fread fh

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```

• Even worse when we wrap f in a handler?

```
let h = handler | effect (FWrite fh s k) \rightarrow return () let g' s = with h handle f ()
```

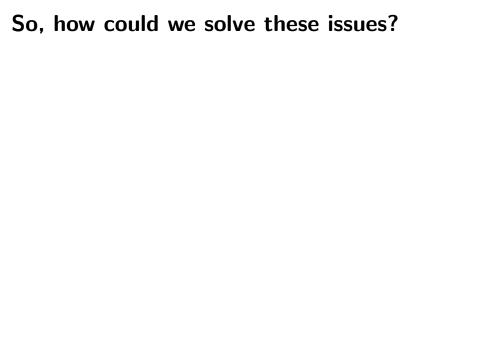
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   return fh

let g s =
   let fh = f s in fread fh (* fh not open! *)
```

• Even worse when we wrap f in a handler?

```
let h = handler | effect (FWrite fh s k) \rightarrow return ()

let g' s = with h handle f () (* dangling fh ! *)
```



### So, how could we solve these issues?

- We could try using existing PL techniques, e.g.,
  - Modules and abstraction, e.g., System.IO

• Linear (and non-linear) types and effects

```
linear type fhandle  {\bf effect} \ \ {\sf FClose} \ : \ ({\bf linear} \ \ {\sf fhandle}) \to {\sf unit}   {\bf linear} \ \ {\bf effect} \ \ {\sf FClose} \ : \ {\sf fhandle} \to {\sf unit}
```

• Handlers with **finally clauses** 

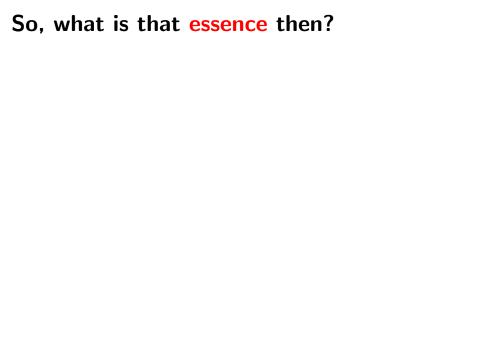
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linear type fhandle  {\bf effect} \ \ {\sf FClose} \ : \ ({\bf linear} \ \ {\sf fhandle}) \to {\sf unit}   {\bf linear} \ \ {\bf effect} \ \ {\sf FClose} \ : \ {\sf fhandle} \to {\sf unit}
```

- Handlers with **finally clauses**
- Problem: They don't really capture the essence of the problem



• Let's look at HASKELL's IO monad again

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- A common explanation is to think of functions

$$a \rightarrow IO b$$

as

$$\mathsf{a} \to (\mathsf{RealWorld} \to (\mathsf{b}, \mathsf{RealWorld}))$$

which is the same as

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which is the same as

$$(a, RealWorld) \rightarrow (b, RealWorld)$$

- With the System.IO module abstraction ensuring that
  - We cannot get our hands on RealWorld (no get and put)
  - We have the impression of RealWorld used linearly
  - We don't ask more from RealWorld than it can provide

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which is the same as

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#### But wait a minute! RealWorld looks a lot like a comodel!

 $\mathsf{hGetLine} : (\mathsf{Handle}, \mathsf{RealWorld}) \to (\mathsf{String}, \mathsf{RealWorld})$ 

hClose : (Handle, RealWorld)  $\rightarrow$  ((), RealWorld)

Important: co-operations (hClose) make a promise to return!

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• Intutively, comodels describe evolution of the world W

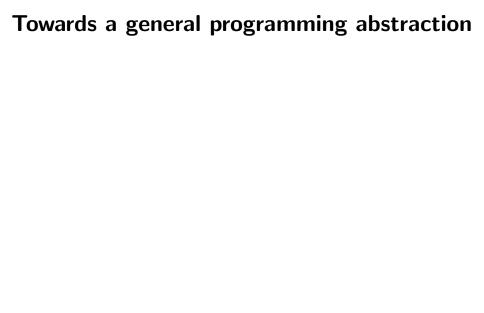
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- Intutively, comodels describe evolution of the world W
  - Operational semantics using a tensor of a model and a comodel (Plotkin & Power, Abou-Saleh & Pattinson)
  - <u>Stateful runners</u> of effectful programs (Uustalu)
  - Linear state-passing translation (Møgelberg and Staton)
  - Top-level behaviour of alg. effects in EFF v2 (Bauer & Pretnar)



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Solution: Modular treatment of external worlds

#### Modular treatment of external worlds

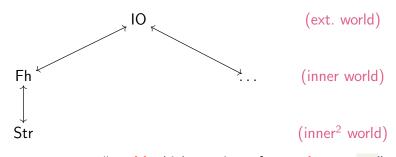
• For example



- Fh "world which consists of exactly one fh"
- ullet Fh  $\longrightarrow$  IO "call fclose with stored fh"

#### Modular treatment of external worlds

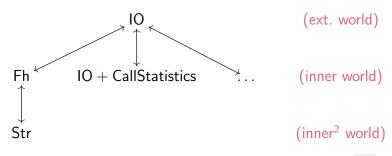
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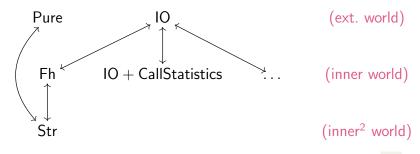
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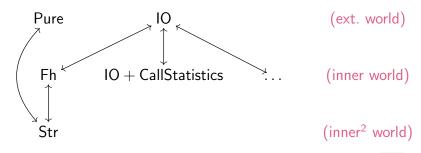
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#### Modular treatment of external worlds

• For example



- Fh "world which consists of exactly one fh"
- Fh  $\longrightarrow$  IO "call fclose with stored fh"
- Str "world that is **blissfully unaware** of fh"
- Observation: IO ←→ Fh and other ←→ look a lot like lenses

```
let f (s:string) =
    using
    Fh @ (fopen_of_io "foo.txt")
    cohandle
    fwrite_of_fh (s^s)
    finally
    x @ fh → fclose_of_io fh
```

#### where

## Modular treatment of worlds (IO $\longleftrightarrow$ Fh $\longleftrightarrow$ Str)

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```
let f (s:string) =
                                         (* in IO *)
  using Fh @ (fopen_of_io "foo.txt")
  cohandle
    using Str @ (fread_of_fh ()) (* in Fh *)
    cohandle
                                      (* in Str *)
      write_of_str (s^s)
    finally
      0 s \rightarrow fwrite of fh s
  finally
    \emptyset fh \rightarrow fclose of io fh
```

where

```
Str = \{ co\_write s @ s' \rightarrow (* W = string *) \\ return ((),s'^s) \}
```

## **Tracking the external world usage (IO** ←→ Stats)

## Tracking the external world usage (IO ←→ Stats)

```
let f (s:string) =
                                        (* in IO *)
  using
    Stats @ (let fh = fopen_of_io "foo.txt" in
              return (fh,0))
  cohandle
    fwrite_of_stats (s^s)
  finally
    _{-} @ (fh,c) \rightarrow
          let fh' = fopen_of_io "stats.txt" in
           fwrite_of_io fh'c; fclose_of_io fh';
          fclose_of_io fh
```

where

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  cohandle
    fwrite_of_stats (s^s)
  finally
    _{-} @ (fh,c) \rightarrow
          let fh' = fopen_of_io "stats.txt" in
          fwrite_of_io fh'c; fclose_of_io fh';
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```

where

• Can also track results of nondet./prob. choices, etc

# The external world can also be pure ( $Pure \longleftrightarrow Str$ )

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```
let f(s:string) =
                                        (* in Pure *)
  using
    Str @ (return "default value")
  cohandle
    let s = read_of_str () in
    if (s = "foo")
    then (...; write_of_str "bar"; ...)
    else (...)
  finally
    \times 0 s \rightarrow return \times
```

where

```
Str =
                                         (* W = string*)
  { co\_read \_ @ s \rightarrow return (s,s)
     co_write s @ s' \rightarrow return ((),s') }
```

Core calculus for cohandlers (wo/ handlers ⇒ wait a few slides)

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- Types

$$A, B, W ::= b \mid 1 \mid A \times B \mid 0 \mid A + B \mid A \xrightarrow{\omega} B$$

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```
\boldsymbol{\omega} ::= \{ \operatorname{op}_1 : A_1 \leadsto B_1 , \ldots, \operatorname{op}_n : A_n \leadsto B_n \}
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• Computation terms (value terms are unsurprising)

• Comodels (cohandlers)

$$C ::= \{ \overline{op}_1 \times @ w \rightarrow c_1 , \ldots, \overline{op}_n \times @ w \rightarrow c_n \}$$

• Typing judgements

$$\Gamma \vdash v : A \qquad \Gamma \vdash c : A$$

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• The two central typing rules are

$$\Gamma \stackrel{\bowtie}{\vdash} D$$
 comodel of  $\omega'$  with carrier  $W_D$   $\Gamma \stackrel{\bowtie}{\vdash} c_i : W_D$ 

$$\Gamma \stackrel{\bowtie'}{\vdash} c : A \qquad \Gamma, x : A, w : W_D \stackrel{\bowtie}{\vdash} c_f : B$$

$$\Gamma \stackrel{\bowtie}{\vdash} \textbf{using } D @ c_i \textbf{ cohandle } c \textbf{ finally } x @ w \rightarrow c_f : B$$

and

$$\frac{\mathsf{op} : A_{\mathsf{op}} \leadsto B_{\mathsf{op}} \in \boldsymbol{\omega} \qquad \Gamma \vdash v : A_{\mathsf{op}}}{\Gamma \stackrel{\boldsymbol{\,\,\sqcup}}{\vdash} \ \widehat{\mathsf{op}} \ v : B_{\mathsf{op}}}$$

# Denotational semantics

### **Denotational semantics**

• Term interpretation looks very similar to alg. effects:

$$\llbracket \Gamma \vdash v : A \rrbracket : \llbracket \Gamma \rrbracket \longrightarrow \llbracket A \rrbracket \qquad \llbracket \Gamma \stackrel{\bowtie}{\vdash} c : A \rrbracket : \llbracket \Gamma \rrbracket \longrightarrow T_{\omega} \llbracket A \rrbracket$$

• un-cohandled operations wait for a suitable external world!

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- un-cohandled operations wait for a suitable external world!
- The interesting part is the interpretation of cohandling

$$\Gamma \stackrel{\mbox{\tiny \'ell}}{=} D$$
 comodel of  $\omega'$  with carrier  $W_D$   $\Gamma \stackrel{\mbox{\tiny \'ell}}{=} c_i : W_D$ 

$$\Gamma \stackrel{\mbox{\tiny \'ell}}{=} c : A \qquad \Gamma, x : A, w : W_D \stackrel{\mbox{\tiny \'ell}}{=} c_f : B$$

$$\Gamma \stackrel{\mbox{\tiny \'ell}}{=} using \ D \ @ \ c_i \ cohandle \ c \ finally \ x \ @ \ w \to c_f : B$$

which is based on M&S's linear state-passing translation, i.e.,

• Idea is to consider configurations  $(\overrightarrow{(C,w)}, c)$ 

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- For example, consider the **big-step evaluation** of **using** D ...

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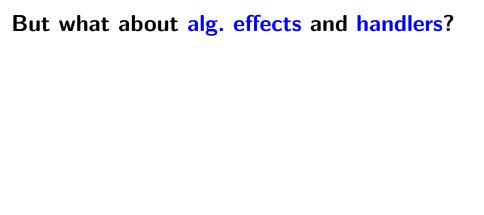
```
 \left( \begin{array}{c} ((\overrightarrow{(C,w_0)},(C',w_0'))\;,\;c_i \end{array} \right) \ \downarrow \ \left( \ ((\overrightarrow{(C,w_1)},(C',w_1'))\;,\; \textbf{return}\; w_0'' \right) \\ \\ \left( \ ((\overrightarrow{(C,w_1)},(C',w_1'),(D,w_0''))\;,\;c \right) \ \downarrow \ \left( \ ((\overrightarrow{(C,w_2)},(C',w_2'),(D,w_1''))\;,\; \textbf{return}\; v \right) \\ \\ \left( \ ((\overrightarrow{(C,w_2)},(C',w_2'))\;,\; c_f[v/x,w_1''/w]\;) \ \downarrow \ \left( \ ((\overrightarrow{(C,w_3)},(C',w_3'))\;,\; \textbf{return}\; v' \right) \right) \\ \end{array}
```

```
 ((\overrightarrow{(\mathsf{C},w_0)},(\mathsf{C}',w_0')) \;,\; \text{using } \mathsf{D} \;@\; c_i \; \text{cohandle} \; c \; \text{finally} \; x \;@\; w \to c_f \;)   \qquad \qquad \qquad \downarrow \\  ((\overrightarrow{(\mathsf{C},w_3)},(\mathsf{C}',w_3')) \;,\; \text{return} \; v' \;)
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- For example, consider the **big-step evaluation** of **using** D ...

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```

• The interpretation of operations uses the co-operations of Cs



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- In the following

```
using C @ c_i
cohandle c
finally x @ w \rightarrow c_f
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   but they must not be allowed to escape cohandle
- to escape, have to use the co-operations of the external world

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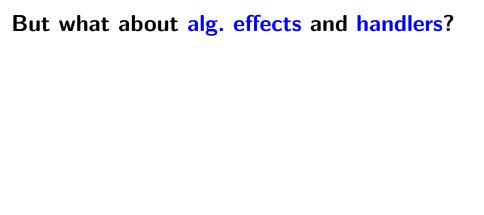
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- to escape, have to use the co-operations of the external world
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- Where do multi-handlers fit? Co-operating handlers-cohandlers?



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```
\begin{array}{lll} \textbf{using} & (* \ \mathsf{IO} \longleftrightarrow \mathsf{Fh} \ *) \\ & \mathsf{Fh} \ @ \ \mathsf{c_{-}i} \\ & \textbf{cohandle} \\ & \mathsf{fwrite\_of\_d} \ \mathsf{s}; \ (* \ \mathsf{co\_fwrite\_of\_io} \ \mathsf{throws} \ \mathsf{e} \ *) \\ & \mathsf{fread} \ () \\ & \textbf{finally} \\ & | \ \mathsf{x} \ @ \ \mathsf{w} \to \ \mathsf{c\_f} \\ & | \ \mathsf{throw} \ \mathsf{e} \ \to \ \mathsf{c\_do\_some\_cleanup} \\ & | \ \mathsf{op} \ \mathsf{x} \ \mathsf{k} \to \ldots \end{array}
```

## **Conclusions**

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- $\bullet$  System.IO , Koka's initially & finally , Python's with , . . .
- Could also be convenient for general FFI

$$\frac{f:A\longrightarrow B\ \in\ \mathrm{OCAML}}{\overline{f}:A\times W_{\mathsf{OCaml}}\longrightarrow B\times W_{\mathsf{OCaml}}\ \in\ \mathsf{OCaml}}$$

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- $\bullet$  System.IO , Koka's initially & finally , Python's with ,  $\dots$
- Could also be convenient for general FFI

$$\frac{f:A\longrightarrow B\ \in\ \mathrm{OCAML}}{\overline{f}:A\times W_{\mathsf{OCaml}}\longrightarrow B\times W_{\mathsf{OCaml}}\ \in\ \mathsf{OCaml}}$$

## Some ongoing work

- Interaction with algebraic effects and (multi-)handlers
- Clarify the connection with (effectful) lenses
- Combinatorics of comodels and their lens-like relationships